

QUANTITATIVE APTITUDE

For All Competitive Exams

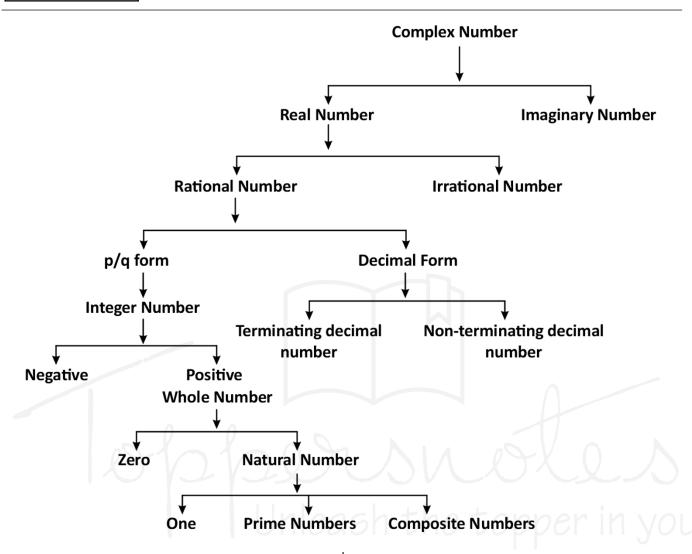


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1 CHAPTER

Number System



Complex Number (Z)

Z = Real numbers + Imaginary numbers

Where, a = Real numbers.

b = Imaginary numbers.

Real Numbers

Rational and irrational numbers together are called real numbers. These can be represented on the number line.

Imaginary Numbers

Numbers that can not be represented on the number line.

Integer Numbers

A set of numbers which includes whole numbers as well as negative numbers, is called integer numbers, it is denoted by I.

$$I = \{-4, -3, -2, -1, 0, 1, 2, 3, 4, \ldots\}$$

Natural Numbers

The numbers which are used to count things are called natural numbers.

$$N = \{1, 2, 3, 4, 5, \dots \}$$

Whole Numbers

When 0 is also included in the family of natural numbers, then they are called whole numbers.

$$W = \{0, 1, 2, 3, 4, 5, \ldots\}$$

The product of four consecutive natural numbers is always exactly divisible by 24.

Even Numbers

Numbers which are completely divisible by 2 are called even numbers.

$$n^{th}$$
 term = $2n$

Sum of first n even natural numbers = n(n+1)
Sum of square of first n even natural

numbers =
$$\frac{2n(n+1)(2n+1)}{3}$$
$$\left\{ n = \frac{\text{Last term}}{2} \right\}$$

Odd Numbers

The numbers which are not divisible by 2 are odd numbers.

Sum of first n odd numbers = n^2

$$\left\{ n = \frac{\text{Last term} + 1}{2} \right\}$$

Natural Numbers

Sum of first n natural numbers = $\frac{n(n+1)}{2}$

Sum of square of first n natural numbers $= \frac{n(n+1)(2n+1)}{c}$

Sum of cube of first n natural numbers =

$$\left[\frac{n(n+1)}{2}\right]$$

The difference of the squares of two consecutive natural numbers is equal to their sum.

Example -
$$11^2 = 121$$

 $12^2 = 144$
 $11 + 12 \rightarrow 23$

Difference 144 - 121 = 23

Prime Numbers – Which have only two forms - $1 \times$ numbers

Where, 1 isn't a Prime Number.

- The digit 2 is only even prime number.
- 3, 5, 7 is the only pair of consecutive odd prime numbers.
- Total prime numbers between 1 to 25 = 9
- Total prime numbers between 25 to 50 = 6
- There are total of 15 prime numbers between 1-50.
- There are total of 10 prime numbers between 51 – 100.

So there are total 25 prime numbers from 1-100.

- Total prime numbers from 1 to 200 = 46
- Total prime numbers from 1 to 300 = 62
- Total prime numbers from 1 to 400 = 78
- Total prime numbers from 1 to 500 = 95

Co-prime Numbers

Numbers whose HCF is only 1.

Perfect Number

A number whose sum of its factors is equal to that number (except the number itself in the factors)

E.g. - 6
$$\rightarrow$$
 1, 2, 3 \rightarrow Here 1 + 2 + 3 \rightarrow 6
28 \rightarrow 1, 2, 4, 7, 14 \rightarrow 1 + 2 + 4 + 7 + 14 \rightarrow 28

Rational Numbers

Numbers that can be written in the form of P/Q, but where Q must not be zero and P and Q must be integers.

E.g. -
$$2/3$$
, $4/5$, $\frac{10}{-11}$, $\frac{7}{8}$

Irrational Numbers

These cannot be displayed in P/Q form.

E.g. -
$$\sqrt{2}$$
, $\sqrt{3}$, $\sqrt{11}$, $\sqrt{19}$, $\sqrt{26}$...

Perfect square numbers



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Unit Digit which can be of square

Which can't be square

2 —

3 —

7 —

8 ----

• The last two digits of the square of any number will be the same as the last two digits of the square of numbers 1-24.

Note: Therefore, everyone must remember the squares of 1-25.

Convert to Binary and Decimal -

1. Convert Decimal Number to Binary Number

To find the binary number equivalent to a decimal number, we continuously divide the given decimal number by 2 until we get 1 as the final quotient.

E.g.

2	89	$2 \times 44 = 88 ; 89 - 88 = 1$
2	44	$2 \times 22 = 44; 44 - 44 = 0$
2	22	$2 \times 11 = 22$; $22 - 22 = 0$
2	11	2 × 5 = 10 ; 11 – 10 = 1
2	5	$2 \times 2 = 4$; $5 - 4 = 1$
2	2	2 × 1 = 2 ; 2 – 2 = 0
	1	Final quotient

Hence, binary number equivalent to $89 = (1011001)_2$

2. Convert Binary to Decimal Nubmer

In binary system the value of 1 when it moves one place to its left every time it doubles itself and wherever 0 comes its value is 0.

E.g.

1	0	1	1	0	0	1
2 ⁶	2 ⁵	2 ⁴	2 ³	2 ²	2 ¹	2 ⁰

Now

$$(1011001)_2 = 1 \times 2^6 + 0 \times 2^5 + 1 \times 2^4 \times 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

= 64 + 0 + 16 + 8 + 8 + 0 + 1 {2⁰ = 1}
= 89

Finding the Number of Divisors or Number of Factors

First we will do the prime factorization of the number and write it as Power and multiply by adding

One to each power, then the number of divisors will be obtained.

Ex: By how many total numbers can 2280 be completely divided?

Sol.
$$2280 = 2^3 \times 3^1 \times 5^1 \times 19^1$$

Number of divisors = $(3 + 1) (1 + 1) (1 + 1) (1 + 1)$
 $= 4 \times 2 \times 2 \times 2 = 32$

Find the unit's digit

When the number is in the form of power –

When the unit digit of Base is 0, 1, 5 or 6, the unit digit of the result remains the same for any natural power. When the unit digit of base is 2, 3, 4, 7, 8, or 9, divide the power by 4 and put the same power on the unit digit of the base as the remainder. When the power is rounded off to 4, then the 4th power will be placed on the unit digit of the base.

2. In the form of simplification –

Write the unit digit of each number and simplify it according to the symbol, the result that will come will be its unit digit answer.

Divide by Power of Numbers (Finding the Divisor)

- If aⁿ + bⁿ is given –
 If n is odd, then (a+b) will be its divisor.
- If aⁿ bⁿ is given –
 Divisor (when n is odd) → (a-b)
 Divisor (when n is even) → (a b) or (a + b) or both.
- 1. If $a^n \div (a-1)$ then the remainder always be 1.
- 2. $a^n \div (a + 1)$ If n is an even then the remainder always be 1. If n is an odd then the remainder always be a.
- 3. If $(a^n + a) \div (a 1)$ then the remainder always be 2.
- 4. $(a^n + a) \div (a + 1)$ If n is an even then the remainder always be zero (0). If n is an odd then the remainder always be (a 1)

Terminating Decimal

Those numbers which end after a few digits after the decimal like - 0.25, 0.15, 0.375 can be written in a fraction number.

Non-Terminating Decimal

Those numbers which continue after the decimal and can be of two types.

0.3333, 0.7777, 0.183183183......

Repeating

Numbers that never end after the decimal, but repeat, till infinity. It can be written in fractions.

Non Repeating Decimal Numbers that never end after the decimal point, but they do not repeat their numbers.

Recurring Decimal Fraction

That decimal fraction is the repetition of one or more digits after the decimal point, then one or more digits are repeated after the dot.

Eg.
$$\frac{1}{3}$$
 = 0.333..., $\frac{22}{7}$ = 3.14285714..... To represent such fractions, a line is drawn over the repeating digit.

$$0.35\overline{24} = \frac{3524 - 35}{9900} = \frac{3489}{9900} = \frac{1163}{3300}$$

$$\frac{22}{7}$$
 = 3.14285714.... = 3.142857

It is called bar.

 Convert pure recurring decimal fraction to simple fraction as follows –

$$0.\overline{P} = \frac{P}{9}$$
 $0.\overline{pq} = \frac{pq}{99}$ $0.\overline{pqr} = \frac{pqr}{999}$

 Convert a mixed recurring decimal fraction to an ordinary fraction as follows –

$$0.p\overline{q} = \frac{pq - p}{90}$$

$$0.pq\overline{r} = \frac{pqr - pq}{900}$$

$$0.pq\overline{r} = \frac{pqr - pq}{900}$$

$$0.pq\overline{r} = \frac{pqr - pq}{900}$$

Example -

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(i)
$$0.\overline{39} = \frac{39}{99} = \frac{13}{33}$$

(ii)
$$0.6\overline{25} = \frac{625 - 6}{990} = \frac{619}{990}$$

(iii)
$$0.35\overline{24} = \frac{3524 - 35}{9900} = \frac{3489}{9900} = \frac{1163}{3300}$$

Symbol o	f the F	Roman Method	
1	\rightarrow	1	
2	\rightarrow	II	
3	\rightarrow	III	
4	\rightarrow	IV	
5	\rightarrow	V	
6	\rightarrow	VI	
7	\rightarrow	VII	
8	\rightarrow	VIII	
9	\rightarrow	IX	
10	\rightarrow	Χ	
20	\rightarrow	XX	
30	\rightarrow	XXX	
40	\rightarrow	XL	
50	\rightarrow	L	
100	\rightarrow	С	
500	\rightarrow	D	
1000	\rightarrow	M	

Rule of Divisibility

Rule of 2	The last digit is an even					
	number or zero (0) as - 236,					
	150, 1000004					
Rule of 3	If the sum of the digits of a					
	number is divisible by 3, then					
	the whole number will be					
	divisible by 3.					
	E.g. 729, 12342, 5631					
Rule of 4	Last two digits are zero or					
	divisible by 4.					
	E.g. 1024, 58764, 567800					
Rule of 5	The last digit is zero or 5.					
	E.g. 3125, 625, 1250					
Rule of 6	If a number is divisible by					
	both 2 and 3 then it is also					
	divisible by 6.					
	E.g. 3060, 42462, 10242					
Rule of 7	After multiplying the last digit					
	of a number by 2 and					

	subtracting it from the
	remaining number, if the
	number is a multiple of 0 or 7
	or if any digit is repeated in a
	multiple of 6, then the
	number will be divisible by 7.
	E.g. 222222, 444444444444,
	7854
Rule of 8	If the last three digits of a
	number are divisible by 8 or
	the last three digits are '000'
	(zero).
	E.g. 9872, 347000
Rule of 9	If the sum of the digits of a
	number is divisible by 9, then
	the whole number will be
	divisible by 9.
Rule of 10	The last digit should be zero
	(0).
Rule of 11	If the difference between the
	sum of digits at odd places
	and sum of digits at even
$\Delta \Pi$	places is zero (0) or 11 or a
/ U V \	multiple of 11.
ممالح ما	E.g. 1331, 5643, 8172659
Rule of 12	Composite form of divisible
	by 3 and 4.
Rule of 13	Repeating the digit 6 times, or
	multiplying the last digit by 4
	and adding it to the
	remaining number, if the
	number is divisible by 13,
	then the whole number will
	be divisible by 13.
	E.g. 222222, 17784

Practice Questions

- Q.1 If $\frac{3}{4}$ of a number is 7 more than $\frac{1}{6}$ of that number, then what will be $\frac{5}{3}$ of that number?
 - (a) 12
- (b) 18
- (c) 15
- (d) 20
- Q.2 If the sum of two numbers is a and their product is a then their reciprocals will be
 - (a) $\frac{1}{a} + \frac{1}{b}$
- (b) $\frac{b}{a}$
- (c) $\frac{a}{b}$
- (d) $\frac{a}{ab}$
- Q.3 The sum of two numbers is 75 and their difference is 25, then what will be the product of those two numbers?
 - (a) 1350
- (b) 1250
- (c) 1000
- (d) 125
- Q.4 Divide 150 into two parts such that the sum of their reciprocal is $\frac{3}{112}$. Calculate both parts.
 - (a) 50, 90
- (b) 70, 80
- (c) 60, 90
- (d) 50, 100
- Q.5 If the sum of any three consecutive odd natural numbers is 147, then the middle number will be
 - (a) 47
- (b) 48
- (c) 49
- (d) 51

- Q.6 If the product of first three and last three of 4 consecutive prime numbers is 385 and 1001, then find the greatest prime number.
- Q.7 What will be the sum of the even numbers between 50 and 100?
- Q.8 What will be the sum of odd numbers between 50 and 100?
- Q.9 In a division method, the divisor is 12 times the quotient and 5 times the remainder. Accordingly, if the remainder is 36, then what will be the dividend?
 - (a) 2706
- (b) 2796
- (c) 2736
- (d) 2826
- **Q.10** What is the unit digits of $(3694)^{1739} \times (615)^{317} \times (841)^{491}$
 - (a) 0
- (b) 2
- (c) 3
- (d) 5
- **Q.11** What will be written in the form of $\frac{p}{q}$

of 18.484848....?

- (a) $\frac{462}{25}$
- (b) $\frac{610}{33}$
- (c) $\frac{200}{11}$
- (d) $\frac{609}{33}$
- Q.12 Put $\frac{0.\overline{936} 0.\overline{568}}{0.\overline{45} + 2.\overline{67}}$ in the form of rational number.
- **Q.13** What will be the common factor of $\{(127)^{127} + (97)^{127}\}$ and $\{(127)^{97} + (97)^{97}\}$?
 - (a) 127
- (b) 97
- (c) 30
- (d) 224

	,	Answer Key	
Q.1 (d)	Q.2 (c)	Q.3 (b)	Q.4 (b)
Q.5 (c)	Q.6 13	Q.7 1800	Q.8 1875
Q.9 (c)	Q.10(a)	Q.11 (b)	$Q.12 \frac{2024}{17205}$
Q.13(d)			



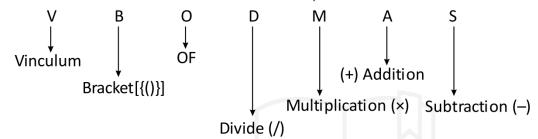
2 CHAPTER

Simplification

- In simplification, we represent the given data in a simple form, such as the data is done in fraction, in decimal, in division, in power and by solving or changing the mathematical operation.
- If different types of operations are given on some number, then how can

we solve it so that the answer to the question is correct, for that there is a rule which we call the rule of VBODMAS.

 Which operation we should do first, it decides the rule of VBODMAS.



- The first of all these mathematical operations is V which means Vinculum (line bracket). If there is a line bracket in the question, then first we will solve it and then (BODMAS) Rule will work in it.
- B (Bracket) in the second place means brackets which can be –
 - 1. Small bracket ()
 - 2. Middle/curly bracket { }
 - 3. Big bracket/[]
- First the small brackets, then the curly bracket, and then the big brackets are solved.
- In the third place is "O" which is formed from "of" or "order", which means "multiply" or "of".
- In the fourth place is "D" which means "Division", in the given expression do the first division in different actions if given.

- There is "M" in the fifth place which means "Multiplication", in the given expression after "Division" we will do "Multiplication".
- Sixth position is held by "A" which is related to "Addition". Addition action takes place after division and multiplication.
- There is "S" in the seventh place which is made of "Subtraction".
- **Q.** Simplify –

$$3\frac{1}{4} \div \left\{ 1\frac{1}{4} - \frac{1}{2} \left(2\frac{1}{2} - \frac{1}{4} - \frac{1}{6} \right) \right\} \left| \div \left(\frac{1}{2} \text{ of } 4\frac{1}{3} \right) \right|$$

Sol: Step 1 – Convert the mixed fraction into simple fraction

$$\left[\frac{13}{4} \div \left\{\frac{5}{4} - \frac{1}{2} \left(\frac{5}{2} - \frac{1}{4} - \frac{1}{6}\right)\right\}\right] \div \left(\frac{1}{2} \text{ of } \frac{13}{3}\right)$$

Now, according to VBODMAS -

Step 2 –

$$\left[\frac{13}{4} \div \left\{ \frac{5}{4} - \frac{1}{2} \left(\frac{5}{2} - \frac{3 - 2}{12} \right) \right\} \right] \div \left(\frac{1}{2} \text{ of } \frac{13}{3} \right)$$

Step 3 –

$$\left\lceil \frac{13}{4} \div \left\{ \frac{5}{4} - \frac{1}{2} \left(\frac{5}{2} - \frac{1}{12} \right) \right\} \right\rceil \div \frac{13}{6}$$

Step 4 –

$$\left\lceil \frac{13}{4} \div \left\{ \frac{5}{4} - \frac{1}{2} \times \left(\frac{30 - 1}{12} \right) \right\} \right\rceil \div \frac{13}{6}$$

Step 5 –

$$\left[\frac{13}{4} \div \left\{ \frac{5}{4} - \frac{1}{2} \times \frac{29}{12} \right\} \right] \div \frac{13}{6}$$

Step 6 -

$$\left\lceil \frac{13}{4} \div \left\{ \frac{30 - 29}{24} \right\} \right\rceil \div \frac{13}{6}$$

Step 7 –

$$\left[\frac{13}{4} \div \frac{1}{24}\right] \div \frac{13}{6}$$

Step 8 –

$$\left[\frac{13}{4} \times 24\right] \div \frac{13}{6}$$

Step 9 –

$$13\times6\times\frac{6}{13}$$

= 36 Ans.

Algebraic Formulas –

1.
$$(a + b)^2 = a^2 + 2ab + b^2$$

2.
$$(a-b)^2 = a^2 - 2ab + b^2$$

3.
$$(a + b)^2 + (a - b)^2 = 2(a^2 + b^2)$$

4.
$$(a^2 - b^2) = (a + b) (a - b)$$

5.
$$a^2 + b^2 + c^2 = (a + b + c)^2 - 2(ab + bc + ca)$$

6.
$$a^2 + \frac{1}{a^2} = \left(a + \frac{1}{a}\right)^2 - 2$$

7.
$$a^2 + b^2 + c^2 - ab - bc - ca = \frac{1}{2} \left[(a - b)^2 + (b + c)^2 + (c - a)^2 \right]$$

8.
$$a^3 + b^3 = (a + b)^3 - 3ab (a + b) = (a + b) (a^2 - ab + b^2)$$

9.
$$a^3 - b^3 = (a - b)^3 + 3ab (a - b) = (a - b) (a^2 + ab + b^2)$$

10.
$$a^3 + b^3 + c^3 - 3abc = (a + b + c) (a^2 + b^2 + c^2 - ab - bc - ca)$$

$$= \frac{1}{2} (a+b+c) \left\{ (a-b)^2 + (b-c)^2 + (c-a)^2 \right\}$$

If a + b + c = 0, then

$$a^3 + b^3 + c^3 = 3abc$$

11.
$$a^3 + \frac{1}{a^3} = \left(a + \frac{1}{a}\right)^3 - 3\left(a + \frac{1}{a}\right)$$

12.
$$a^3 - \frac{1}{a^3} = \left(a - \frac{1}{a}\right)^3 + 3\left(a - \frac{1}{a}\right)$$

Square and Square Root Table

Square	Square Root	Square	Square Root
1 ² = 1	$\sqrt{1}=1$	16 ² = 256	$\sqrt{256} = 16$
2 ² = 4	$\sqrt{4}=2$	17 ² = 289	$\sqrt{289} = 17$
$3^2 = 9$	$\sqrt{9}=3$	18 ² = 324	$\sqrt{324} = 18$
4 ² = 16	$\sqrt{16} = 4$	19 ² = 361	$\sqrt{361} = 19$
5 ² = 25	$\sqrt{25} = 5$	20 ² = 400	$\sqrt{400} = 20$
6 ² = 36	$\sqrt{36} = 6$	21 ² = 441	$\sqrt{441} = 21$
7 ² = 49	$\sqrt{49} = 7$	22 ² = 484	$\sqrt{484} = 22$
8 ² = 64	$\sqrt{64} = 8$	23 ² = 529	$\sqrt{529} = 23$
9 ² = 81	$\sqrt{81} = 9$	24 ² = 576	$\sqrt{576} = 24$
10 ² = 100	$\sqrt{100} = 10$	25 ² = 625	$\sqrt{625} = 25$
11 ² = 121	$\sqrt{121} = 11$	$26^2 = 676$	$\sqrt{676} = 26$
12 ² = 144	$\sqrt{144} = 12$	27 ² = 729	$\sqrt{729} = 27$
13 ² = 169	$\sqrt{169} = 13$	28 ² = 784	$\sqrt{784} = 28$
14 ² = 196	$\sqrt{196} = 14$	29 ² = 841	$\sqrt{841} = 29$
15 ² = 225	$\sqrt{225} = 15$	$30^2 = 900$	$\sqrt{900} = 30$

Cube and Cube Root Table

Cube	Cube Root	Cube	Cube Root
1 ³ = 1	$\sqrt[3]{1} = 1$	16³ = 4096	$\sqrt[3]{4096} = 16$
2 ³ = 8	$\sqrt[3]{8} = 2$	17 ³ = 4913	$\sqrt[3]{4913} = 17$
3 ³ = 27	$\sqrt[3]{27} = 3$	18³ = 5832	³ √5832 = 18
4³ = 64	$\sqrt[3]{64} = 4$	19 ³ = 6859	$\sqrt[3]{6859} = 19$
5³ = 125	$\sqrt[3]{125} = 5$	20 ³ = 8000	$\sqrt[3]{8000} = 20$
6 ³ = 216	$\sqrt[3]{216} = 6$	21 ³ = 9261	$\sqrt[3]{9261} = 21$
7 ³ = 343	$\sqrt[3]{343} = 7$	22 ³ = 10648	$\sqrt[3]{10648} = 22$
8 ³ = 512	$\sqrt[3]{512} = 8$	23 ³ = 12167	$\sqrt[3]{12167} = 23$
9 ³ = 729	³ √729 = 9	24 ³ = 13824	³ √13824 = 24
10 ³ = 1000	$\sqrt[3]{1000} = 10$	25³ = 15625	$\sqrt[3]{15625} = 25$
11 ³ = 1331	$\sqrt[3]{1331} = 11$	26 ³ = 17576	$\sqrt[3]{17576} = 26$
12 ³ = 1728	$\sqrt[3]{1728} = 12$	27 ³ = 19683	³ √19683 = 27
13 ³ = 2197	$\sqrt[3]{2197} = 13$	28 ³ = 21952	$\sqrt[3]{21952} = 28$
14 ³ = 2744	$\sqrt[3]{2744} = 14$	29 ³ = 24389	$\sqrt[3]{24389} = 29$
15 ³ = 3375	³ √3375 = 15	30 ³ = 27000	$\sqrt[3]{27000} = 30$

Arithmetic Progression

The series in which each term can be found by adding or subtracting with its preceding term is

called the arithmetic progression.

nth term of an Arithmetic Progression

$$T_n = a + (n - 1) d$$

Where, a = First term

d = Common difference (2nd term – ^t term)

n = Number of all terms.

Addition of nth terms of an Arithmetic Progression –

$$S_n = \frac{n}{2} [2a + (n-1)d]$$

If the first and last term is known -

$$S_n = \frac{n}{2} [a + \ell]$$

Where, $\ell = \text{Last term}$

Arithmetic progression between the two variables

 $A = \frac{a+b}{2}$ [The arithmetic progression of a & b is A]

Geometric Progression

If the ratio of each term of the series to its preceding term is a certain variable, then it is called a geometric series. This fixed variable is called the common ratio.

nth term of Geometric Series –

$$T_n = a.r^{n-1}$$

Where, a = First term

r = Common ratio

n = Number of terms

Addition of nth terms of Geometric Series -

$$S_n = a \left(\frac{1-r^n}{1-r} \right)$$
; When $r < 1$

$$S_n = a \left(\frac{r^n - 1}{r - 1} \right)$$
; when $r > 1$

- 1. Geometric series between two variables $G = \sqrt{ab}$
- 2. If the arithmetic mean and geometric mean between two positive quantities a and b are A and G, then A > G, $\frac{a+b}{2} > \sqrt{ab}$

Harmonic Progression

If the reciprocals of the terms of a series are written in the same order and it is in arithmetic progression, then this is known as harmonic series.

nth term of a Harmonic Progression –

$$T_n = \frac{1}{a + (n-1)d}$$

Harmonic series (H) = $\frac{2ab}{a+b}$

Relation between Arithmetic Mean, Geometric Mean and Harmonic Mean

Let A, G and H be the arithmetic mean, geometric mean and harmonic mean between two

quantities a and b respectively, then

$$G^2 = AH$$
 and $A > G > H$

Practice Question

- **Q.1** The value of $24 \times 2 \div 12 + 12 \div 6$ of $2 \div (15 \div 8 \times 4)$ of $(28 \div 7 \text{ of } 5)$ is -
 - (a) $4\frac{32}{75}$
- (b) $4\frac{8}{75}$
- (c) $4\frac{2}{3}$
- (d) $4\frac{1}{6}$
- Q.2 Simplify –

$$\left[3\frac{1}{4} \div \left\{ 1\frac{1}{4} - \frac{1}{2} \left(2\frac{1}{2} - \frac{1}{4} - \frac{1}{6} \right) \right\} \right] \div \left(\frac{1}{2} \text{ of } 4\frac{1}{3} \right)$$

Q.3 Evaluate –

$$2\frac{3}{4} \div 1\frac{5}{6} \div \frac{7}{8} \times \left(\frac{1}{3} + \frac{1}{4}\right) + \frac{5}{7} \div \frac{3}{4} \text{ of } \frac{3}{7}$$

- (a) $\frac{56}{77}$
- (b) $\frac{49}{80}$
- (c) $\frac{2}{3}$

(d) $3\frac{2}{9}$

- **Q.4** If $(102)^2 = 10404$ then the value of $\sqrt{104.04} + \sqrt{1.0404} + \sqrt{0.010404}$ is equals to?
 - (a) 0.306
- (b) 0.0306
- (c) 11.122
- (d) 11.322
- **Q.5** If a = 64 & b = 289 then find the value

of
$$\left(\sqrt{\sqrt{a}+\sqrt{b}}-\sqrt{\sqrt{\sqrt{b}-\sqrt{a}}}\right)^{\frac{1}{2}}$$

- (a) $2^{1/2}$
- (b) 2

(c) 4

- (d) -2
- **Q.6** The cube root of 175616 is 56 then find the value of

$$\sqrt[3]{175.616} + \sqrt[3]{0.175616} + \sqrt[3]{0.000175616}$$
?

- (a) 0.168
- (b) 62.16
- (c) 6.216
- (d) 6.116
- Q.7 What is the smallest number to be added to 710 so that the sum becomes a perfect cube?
 - (a) 29

(b) 19

(c) 11

- (d) 21
- Q.8 Find the value of the following –

$$4 - \frac{5}{1 + \frac{1}{3 + \frac{1}{2 + \frac{1}{4}}}}$$
 is

- (a) $\frac{1}{8}$
- (b) $\frac{1}{64}$
- (c) $\frac{1}{16}$
- (d) $\frac{1}{32}$
- Q.9 If $2 = x + \frac{1}{1 + \frac{1}{3 + \frac{1}{A}}}$ then find the value

of x?

- (a) $\frac{18}{17}$
- (b) $\frac{21}{17}$
- (c) $\frac{13}{17}$
- (d) $\frac{12}{17}$

- **Q.10** 999 $\frac{998}{999}$ × 999 equals to ?
 - (a) 998999
- (b) 999899
- (c) 989999
- (d) 999989
- **Q.11** Find the value of $\frac{(0.03)^2 (0.01)^2}{0.03 0.01}$?
 - (a) 0.02
- (b) 0.004
- (c) 0.4
- (d) 0.04
- **Q.12** $\left(\sqrt{2} + \frac{1}{\sqrt{2}}\right)^2$ equals to ?
 - (a) $2\frac{1}{2}$
- (b) $3\frac{1}{2}$
- (c) $4\frac{1}{2}$
- (d) $5\frac{1}{2}$
- Q.13 Find the value of

$$\frac{0.051\times0.051\times0.051+0.041\times0.041\times0.041}{0.051\times0.051-0.051\times0.041+0.041\times0.041}$$

- (a) 0.92
- (b) 0.092
- (c) 0.0092
- (d) 0.00092
- Q.14 Find the sum of all the multiples of 3 less than 50?
 - (a) 400
- (b) 408
- (c) 404
- (d) 412
- Q.5 How many terms are there in the following arithmetic series?

- **Q.16** If the sum of two numbers is 22, and the sum of their squares is 404, then find the product of those numbers?
 - (a) 40
- (b) 44
- (c) 80
- (d) 89
- Q.17 When a two digit number is multiplied by the sum of its digits, the product is 424. When the number obtained by interchanging its digits is multiplied by the sum of the digits, the result is 280. What is the sum of the digits of the number?
 - (a) 7

(b) 9

(c)6

(d) 8

Answer Key							
Q.1	(d)	Q.2	$7\frac{1}{5}$	Q.3	(d)	Q.4	(d)
Q.5	(a)	Q.6	(c)	Q.7	(b)	Q.8	(a)
Q.9	(b)	Q.10	(a)	Q.11	(d)	Q.12	(c)
Q.13	(b)	Q.14	(b)	Q.15	34	Q.16	(a)
Q.17	(d)						

